

```
    Help
#include <math.h>
#include "complex.h"
#include "mathtools.h"

/* (C) Copr. 1986-92 Numerical Recipes Software
   A2.>$Y0%9j. */
double Real( fcomplex g )
{
    return g.r;
}

double Imm( fcomplex g )
{
    return g.i;
}

fcomplex Cadd(fcomplex a, fcomplex b)
{
    fcomplex c;
    c.r=a.r+b.r;
    c.i=a.i+b.i;
    return c;
}

fcomplex Csub(fcomplex a, fcomplex b)
{
    fcomplex c;
    c.r=a.r-b.r;
    c.i=a.i-b.i;
    return c;
}

fcomplex Cmul(fcomplex a, fcomplex b)
{
    fcomplex c;
    c.r=a.r*b.r-a.i*b.i;
    c.i=a.i*b.r+a.r*b.i;
    return c;
}
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```
fcomplex Complex(double re, double im)
{
    fcomplex c;
    c.r=re;
    c.i=im;
    return c;
}
```

```
fcomplex Conjg(fcomplex z)
{
    fcomplex c;
    c.r=z.r;
    c.i = -z.i;
    return c;
}
```

```
fcomplex Cdiv(fcomplex a, fcomplex b)
{
    fcomplex c;
    double r,den;
    if (fabs(b.r) >= fabs(b.i)) {
        r=b.i/b.r;
        den=b.r+r*b.i;
        c.r=(a.r+r*a.i)/den;
        c.i=(a.i-r*a.r)/den;
    } else {
        r=b.r/b.i;
        den=b.i+r*b.r;
        c.r=(a.r*r+a.i)/den;
        c.i=(a.i*r-a.r)/den;
    }
    return c;
}
```

```
double Cabs(fcomplex z)
{
    double x,y,ans,temp;
    x=fabs(z.r);
    y=fabs(z.i);
    if (x == 0.0)
        ans=y;
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    else if (y == 0.0)
        ans=x;
    else if (x > y) {
        temp=y/x;
        ans=x*sqrt(1.0+temp*temp);
    } else {
        temp=x/y;
        ans=y*sqrt(1.0+temp*temp);
    }
    return ans;
}

fcomplex Csqrt(fcomplex z)
{
    fcomplex c;
    double x,y,w,r;
    if ((z.r == 0.0) && (z.i == 0.0)) {
        c.r=0.0;
        c.i=0.0;
        return c;
    } else {
        x=fabs(z.r);
        y=fabs(z.i);
        if (x >= y) {
            r=y/x;
            w=sqrt(x)*sqrt(0.5*(1.0+sqrt(1.0+r*r)));
        } else {
            r=x/y;
            w=sqrt(y)*sqrt(0.5*(r+sqrt(1.0+r*r)));
        }
        if (z.r >= 0.0) {
            c.r=w;
            c.i=z.i/(2.0*w);
        } else {
            c.i=(z.i >= 0) ? w : -w;
            c.r=z.i/(2.0*c.i);
        }
        return c;
    }
}
```

```

fcomplex Clog(fcomplex z)
{
    fcomplex ztmp;
    double pgd2 = 1.5707963267949; /**questo pig
    reco/2 **/

    if (z.i == 0.0 && z.r > 0.0) {
        ztmp.r = log(z.r);
        ztmp.i = 0.0;
    } else if (z.r == 0.0) {
        if (z.i > 0.0) {
            ztmp.r = log(z.i);
            ztmp.i = pgd2;
        } else {
            ztmp.r = log(-(z.i));
            ztmp.i = - pgd2;
        }
    } else {
        ztmp.r = log(sqrt(z.r*z.r + z.i*z.i));
        ztmp.i = atan2(z.i,z.r); /**Calculates
        the arctangent of x (atan) or the arctangent of y
        /x (atan2).*/
    }
    return(ztmp);
}
/*
logaritmo of the Gamma function of a complex
number
Si utilizza la formula in Press per la gamma di
un numero reale. E detto che converge per Re(
xx)>0
Attento nell'algoritmo: la formula per lnG(x
x+1)
Utilizzando il fatto che G(xx+1)=xx*G(xx) si
ha che
lnG(xx) = lnG(xx+1) - ln(xx)
Questo spiega la divisione finale per xx
*/

fcomplex Cexp(fcomplex g)
{

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    return Complex(exp(g.r)*cos(g.i), exp(g.r)*sin(g.i));
}

fcomplex Cpow(fcomplex z, fcomplex esp)
{
    return Cexp(Cmul(esp,Clog(z)));
}

fcomplex RCmul(double x, fcomplex a)
{
    fcomplex c;
    c.r=x*a.r;
    c.i=x*a.i;
    return c;
}
/* (C) Copr. 1986-92 Numerical Recipes Software
   A2.>$Y0%9j. */

/*Gamma Routines*/

double Carg(fcomplex a)      /* z complex in [-pi,pi] */
{
    double x, y, t;

    x=a.r;
    y=a.i;
    t=atan2(y,x);
    return t;
}

fcomplex Cgamma(fcomplex a)  /* Valeur de gamma(z) pour Re(z)!=-k en */
{
    /* utilisant l'approximation de LANCZOS*/
    /* qui donne gamma(z+1) et on divise par z*/
    fcomplex Cun, z, z0, z2, z3, z4, z5, z6, z7, z8,
        , z9, z10, z11, z12, z13, z14, z15, z16, zzz;
    double gam, theta, rho, p1, p2;

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int i, NN, test;

Cun=Complex(1.0, 0.0);
gam=5.5;

z0=a;
NN=0;
test=0;

if (z0.r > 0.0){
z=z0;
test=0;
} else {
NN=(int)floor(z0.r);
z16=RCmul((double)NN, Cun);
z=Csub(z0, z16);
test=1;
}

z2=Complex(gam, 0.0);
z3=Cadd(z, z2);
theta=Carg(z3);
rho=Cabs(z3);
z4=Complex(0.5, 0.0);
z5=Cadd(z, z4);
p1=z5.r*log(rho)-theta*z5.i;
p2=z5.r*theta+log(rho)*z5.i;
z6=Complex(exp(p1)*cos(p2), exp(p1)*sin(p2));
z7=Complex(exp(-z3.r)*cos(-z3.i), exp(-z3.r)*sin(-z3.i));
z8=RCmul(sqrt(2*PI), Cmul(z6, z7));
z9=Cadd(z8, RCmul(0.000000000190015, z8));
z10=Cdiv(RCmul(76.18009172947146, z8), Cadd(z, RCmul(1.0,Cun)));
z11=Cdiv(RCmul(-86.50532032941677, z8), Cadd(z, RCmul(2.0,Cun)));
z12=Cdiv(RCmul(24.01409824083091, z8), Cadd(z, RCmul(3.0,Cun)));
z13=Cdiv(RCmul(-1.231739572450155, z8), Cadd(z, RCmul(4.0,Cun)));

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z14=Cdiv(RCmul(0.01, RCmul(0.1208650973866179,
    z8)), Cadd(z, RCmul(5.0,Cun)));
z15=Cdiv(RCmul(0.00001,RCmul(-0.5395239384953,
    z8)), Cadd(z, RCmul(6.0,Cun)));
z9=Cadd(z9, z10);
z9=Cadd(z9, z11);
z9=Cadd(z9, z12);
z9=Cadd(z9, z13);
z9=Cadd(z9, z14);
z9=Cadd(z9, z15);

if (test==1)
{
fcomplex aa, bb;

bb=Cun;
aa=z0;
for(i=1;i<=-NN;i++){
    aa=Cadd(Cun, aa);
    bb=Cmul(bb, aa);
}
z9=Cdiv(z9, bb);
zzz=z9;
} else {
zzz=z9;
}
zzz=Cdiv(zzz,z0);

return zzz;
}

double Cnp(int n, int p)    /* Donne C(n,p) avec
    une erreue <=1 pour de */
{
    /*          grandes
    valeurs de n          */

double z, iter;
int i;
z=0.0;

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    if ((n-p<= -1) || (n<0) || (p<0)){
    return z;
    }
    else{
    if (p==0)
        z=1.0;
    else{
        z=1.0;
        iter=z;
        i=0;
        while(i<=p-1){
            iter=iter*(double)(n-i)/(p-i);
            i=i+1;
        }
        if ((iter-floor(iter))>=0.5)
            z=floor(iter)+1;
        else
            z=floor(iter);
    }
    }

    return z;
}

double fact(int n)          /* Donne factoriel(n) en
    double precision */
{
    int i;
    double z;

    z=1.0;

    if (n<=0)
    {
        z=1.0;
    }
    else
    {
        for(i=1;i<=n;i++)
            z=z*i;
    }
}
```



```

    }

    return z;
}

fcomplex cgammln(fcomplex xx)
{
    fcomplex x,y,tmp,ser;
    static double cof[6]={76.18009172947146,-86.50
        532032941677,
        24.01409824083091,-1.231739572450155,
        0.1208650973866179e-2,-0.5395239384953e-5};
    int j;
    fcomplex sq2pg = Complex(2.5066282746310005,0)
        ;

    y=x=xx;
    tmp=Cadd(x, Complex(5.5,0));
    tmp = Csub( Cmul(Cadd(x, Complex(0.5,0)), Clog
        (tmp)),tmp);
    ser= Complex(1.000000000190015, 0.0);

    for (j=0;j<=5;j++)
    {
        y=Cadd(y,CUN0);
        ser = Cadd(ser, Cdiv(Complex(cof[j],0),y));
    }

    ser =Cmul(sq2pg, ser);

    return Cadd(Clog(Cdiv(ser,x)),tmp);
}

```

References